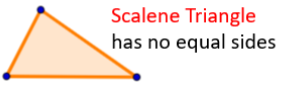
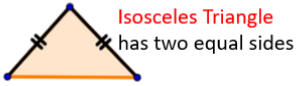
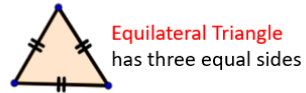


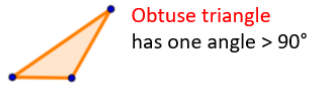
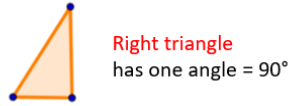
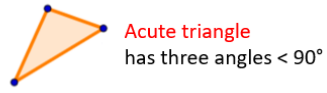
# Year 9 Spring 2 Knowledge Organiser

## 2D Shapes

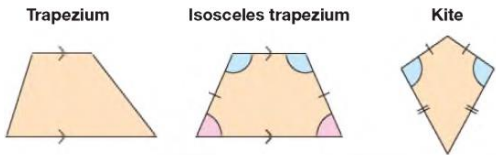
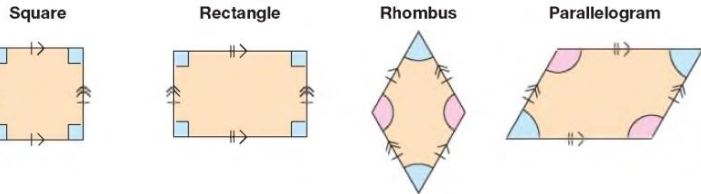
### By Side



### By Angle



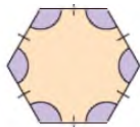
■ A **quadrilateral** is a 2D shape with four sides and four angles.



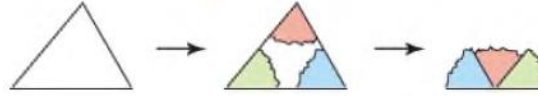
The equal angles are coloured the same.

Sides	Name	Sides	Name
3	triangle	7	heptagon
4	quadrilateral	8	octagon
5	pentagon	9	nonagon
6	hexagon	10	decagon

A shape is **regular** if all sides and angles are equal.



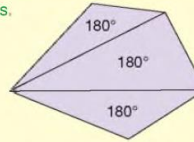
## Angles review



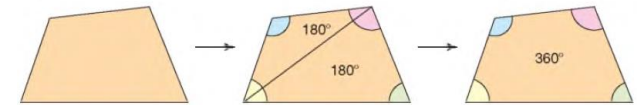
Draw in the two diagonals.  
Three triangles formed:

$$3 \times 180^\circ = 540^\circ$$

Sum of interior angles =  $540^\circ$



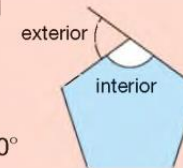
- Angles inside a triangle add up to 180.
- Angles inside a quadrilateral add up to 360.
- In general, you can find out the angles inside a polygon by finding the smallest number of triangles you can draw inside.



## Language Meaning Example

<b>Acute angle</b>	$0 < \text{acute angle} < 90^\circ$	
<b>Right angle</b>	right angle $= 90^\circ$	
<b>Obtuse angle</b>	$90^\circ < \text{obtuse angle} \leq 180^\circ$	
<b>Reflex angle</b>	$180^\circ < \text{reflex angle} \leq 360^\circ$	
<b>Alternate and Corresponding angles</b>	When a line crosses a pair of parallel lines, <b>alternate angles</b> lie on opposite sides of the crossing line and opposite sides of the parallel lines. <b>Corresponding angles</b> lie on the same side of the crossing line and the same side of the parallel lines.	
<b>Interior angle</b>	The angle between two adjacent sides inside a polygon.	
<b>Exterior angle</b>	The angle between one side of a polygon and the next side extended.	

- The exterior angles of any polygon add to  $360^\circ$ .
- Interior angle + exterior angle  $= 180^\circ$
- The sum of the interior angles of any polygon  $= (\text{number of sides} - 2) \times 180^\circ$

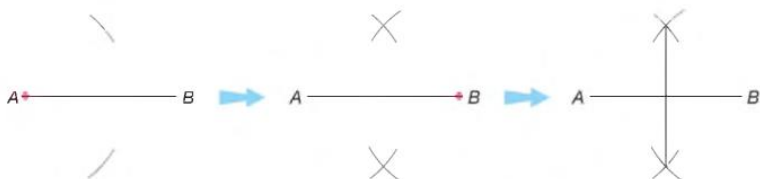


# Year 9 Spring 2 Knowledge Organiser

Language	Meaning	Example
<b>Circle</b>	A closed curve in a flat surface which is everywhere the same distance from a single fixed point.	
<b>Diameter</b>	A chord that passes through the centre of the circle.	
<b>Radius</b> <b>Radii (plural)</b>	A straight line segment drawn from the centre of the circle to the perimeter.	
<b>Circumference</b>	The distance around the edge of a circle.	
<b>Bisect</b>	Cut into two parts of the same shape and size.	
<b>Perpendicular bisector</b>	A line which bisects another line at right angles.	
<b>Construct</b>	Draw something accurately using compasses and a ruler.	
<b>Construction lines</b>	Lines drawn during a construction that are not part of the final object.	
<b>Locus</b> <b>Loci (plural)</b>	A set of points which satisfy a given set of conditions. The path followed by a moving point.	The set of points less than 1 cm from P is the interior of a circle.
<b>Congruent</b>	Exactly the same shape and size.	<p>A and B are similar; the scale factor is 2. A and C are congruent.</p>
<b>Similar</b>	The same shape but different in size.	
<b>Scale factor</b>	The ratio of corresponding lengths in two similar shapes.	

● The **perpendicular bisector** of a line bisects the line at right angles.

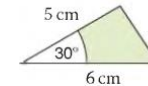
● To construct the perpendicular bisector of line AB



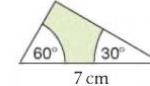
## Congruence and construction

You can **construct** a unique **triangle** when you know

two sides and the angle between them (SAS)



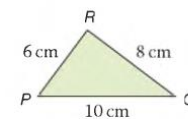
or two angles and a side (ASA)



or right angle, the hypotenuse and a side (RHS)



or three sides (SSS).



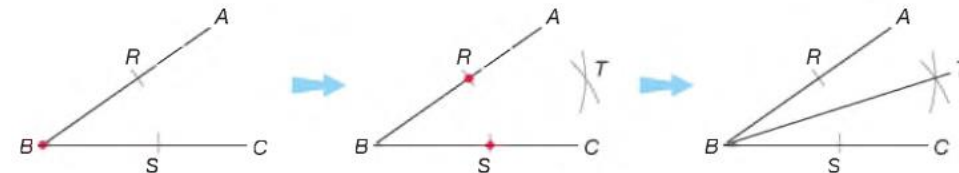
Any two triangles constructed using any one of these four sets of information will be congruent.

You will need a ruler and a protractor for SAS, ASA and RHS triangles.

You will need a ruler and compasses for SSS triangles.

You can use a straight edge and compasses to construct an angle bisector.

● To bisect angle ABC



## Pythagoras' Theorem

In a **right-angled triangle** the **hypotenuse** is the longest side. The other two sides are called the **legs**.

**Pythagoras' theorem** states for any right angled triangle,  $c^2 = a^2 + b^2$ , where  $c$  is the length of the hypotenuse, and  $a$  and  $b$  are the lengths of the legs.

You can use Pythagoras' theorem to find a missing length when you already know the other two lengths.

